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A GENETIC ALGORITHM FOR AUTOMATIC MAP SYMBOLS PLACEMENT

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ABSTRACT

Genetic algorithms represent an up-to-date method of process optimization, where other solutions have failed or haven't given any satisfactory results. One of these processes is automatic placement of map symbols in such a way so that no symbols should mutually overlay. A genetic algorithm solving this task including an exact formulation and a definition of the initial conditions has been described in this paper. The algorithm efficiency will be tested in diploma works in Institute of Geodesy, Faculty of Civil Engineering, Brno University of Technology.

Key words: Genetic algorithm, map, coordinate system, map element, optimization, fitness function, overlay area, overlay code, geometric transformation.

INTRODUCTION

Genetic algorithms are general procedures with the help of which important natural processes, especially reproduction of population are controlled. The first one to notice the possibility of their making use of in technical spheres was D. E. Goldberg in his publication [1]. This method has enjoyed a great interest ever since. A couple of publications and conferences dealing with these problems can prove this fact. A coherent survey on current development in this branch is written in habilitation work [2]. Genetic algorithms are based on evolution mechanism which have been verified by our nature in the course of long period development. These are very effective optimization methods that stem out of our knowledge of natural genetic and its laws. Their advantage

consists in possibility of application even on technical problems especially those ones couldn't be expressed mathematically. An example of such a problem can be a space arrangement of elements in a level the position of which has certain conditions defined by the metric under a given coordinate system. Tasks like these make in many cases, class NP-completely problems. It is proved e. g. [3] that no exact algorithm can be made for these tasks and if so it either never ends or cycles. Therefore tasks like these are solved by heuristic methods. One of possible solutions of this problem with the help of genetic algorithm is described in this paper.

THE TASK FORMULATION

When creating maps we often come across problem with placing various elements (e.g. map symbols, descriptions etc.). The thing is, that during a certain concentration of elements on the map, the symbols can mutually overlay which is disturbing and lowers a well arrangement. Manual placing of symbols in graphic editor is very laborious and time consuming. An automatic way of solution is complicated when taking into consideration that the task is NP-completely problem. That is way the symbols are placed according to simple rules e.g. homogenously at a certain distance and direction from a given map point and the possibly overlaying of the symbols can be removed manually. All the present hypotheses enable to solve these problems with application of a suitable genetic algorithm. Let us form the task problem for this purpose.

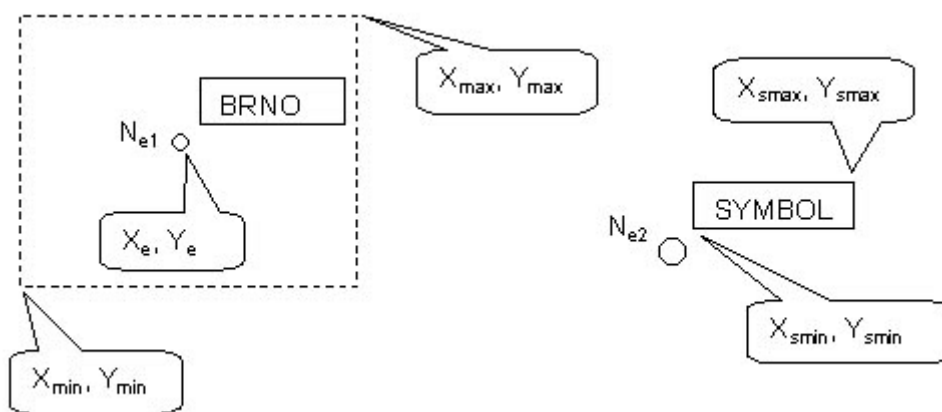
There is a map in the coordinate system (for example SJTSK) with points that are supposed to be placed with elements. These elements can be for instance locality map symbols, areas outlined by cadastral or municipality boundaries etc. Our task consists in generating a map symbol to each element in such a way so that no elements and symbols should mutually overlay. The formulation of the task can be expressed by a table the header of which is in [table 1](#). The individual columns of the table 1 have a following meaning:

Table 1. Task formulation

N_e	X_e	Y_e	X_{min}	X_{max}	Y_{min}	Y_{max}	X_{smin}	X_{smax}	Y_{smin}	Y_{smax}

N_e is the map element number, X_e or Y_e in the [table 1](#) are coordinates of the reference point of described object, and the X_{smin} , Y_{smin} or X_{smax} , Y_{smax} , are coordinates of left lower or right upper corner limiting rectangle which defines the symbol dimension. Another part of the task formulation are X_{min} , Y_{min} , X_{max} , Y_{max} , coordinates

Fig. 1. Parameters for task assignment



which determine the maximum distance of the point (X_e, Y_e) environs where the symbol can be placed - see [Fig. 1](#). For the needs of the genetic algorithm we will create another table – the so called *symbol overlay table* ([table 2](#)). This table contains numbers of the individual map elements (columns denoted N_{e1} , N_{e2}) further the area in which the symbols of both elements overlay (column marked Overlay area) and overlay code. This code unambiguously sets the direction of area overlaying of element N_{e2} symbol (Symbol i) with reference to element N_{e1} symbol (Basic symbol). The introduction of this code makes geometric transformation easier within the algorithm – see another chapter. [Fig. 2](#) shows the symbol overlay of two elements and their record in the symbol overlay table.

Table 2. Symbol overlay table

Ne_1	Ne_2	Overlay Area	Overlay code
1	2	30	3

Fig. 2. Interpretation of the Symbol overlay table

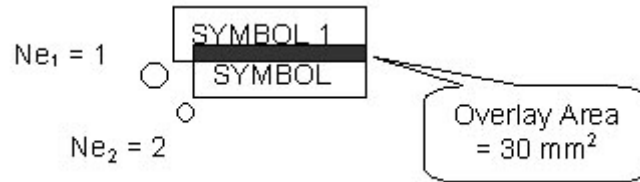
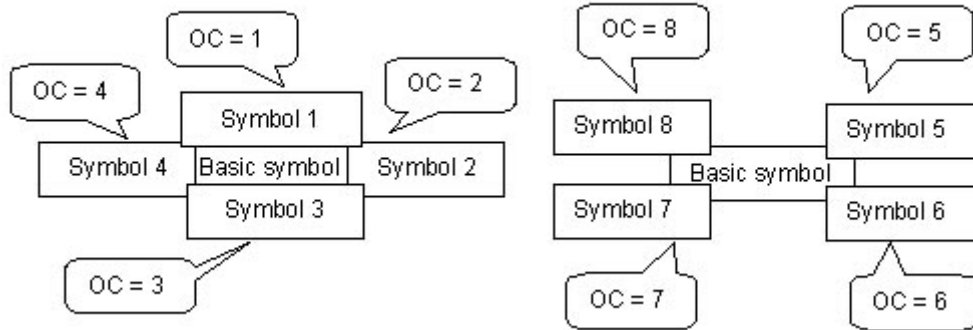


Fig. 3. The values of the overlay code (OC)



AN ALGORITHM FOR THE AUTOMATIC PLACEMENT OF MAP SYMBOLS

General scheme of genetic algorithm in [Fig. 4](#) has according [2] following phases:

1. Creation of initial population and evaluation of the individuals.
2. Selection of the individuals out of population.
3. Crossing over of parents which results in creation of new descendants.
4. Mutation of newly born descendants according to the parents' characters.
5. Evaluation of the descendants and their including in population.
6. The selection of new individuals as parents.

Steps 2 – 6 have to be repeated for such a long time until a final condition is completed. This condition can be either in the form of the fitness function test or in the form of the number of iteration steps – see as follows.

Fig. 4. A general schema of the genetic algorithm

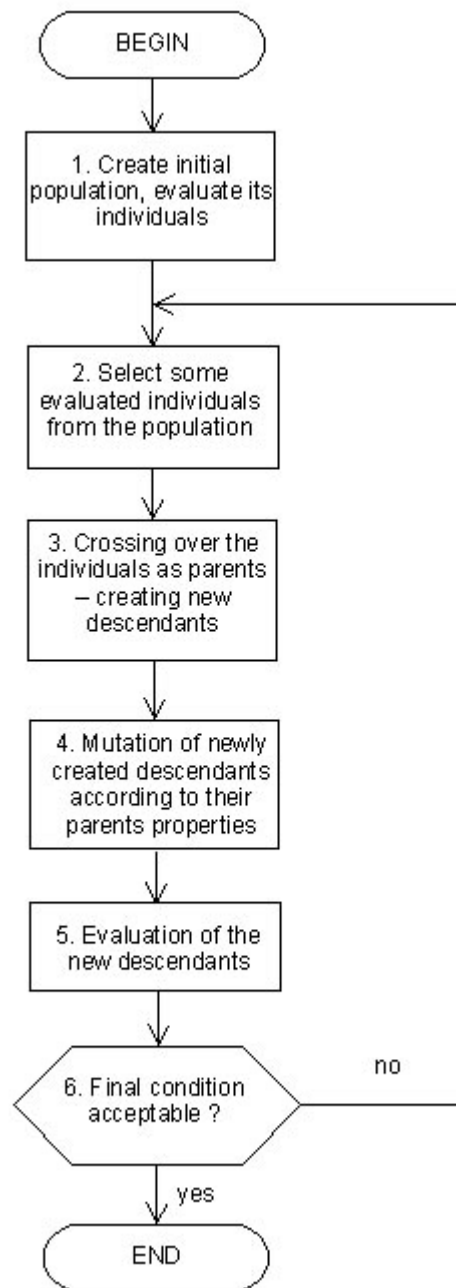
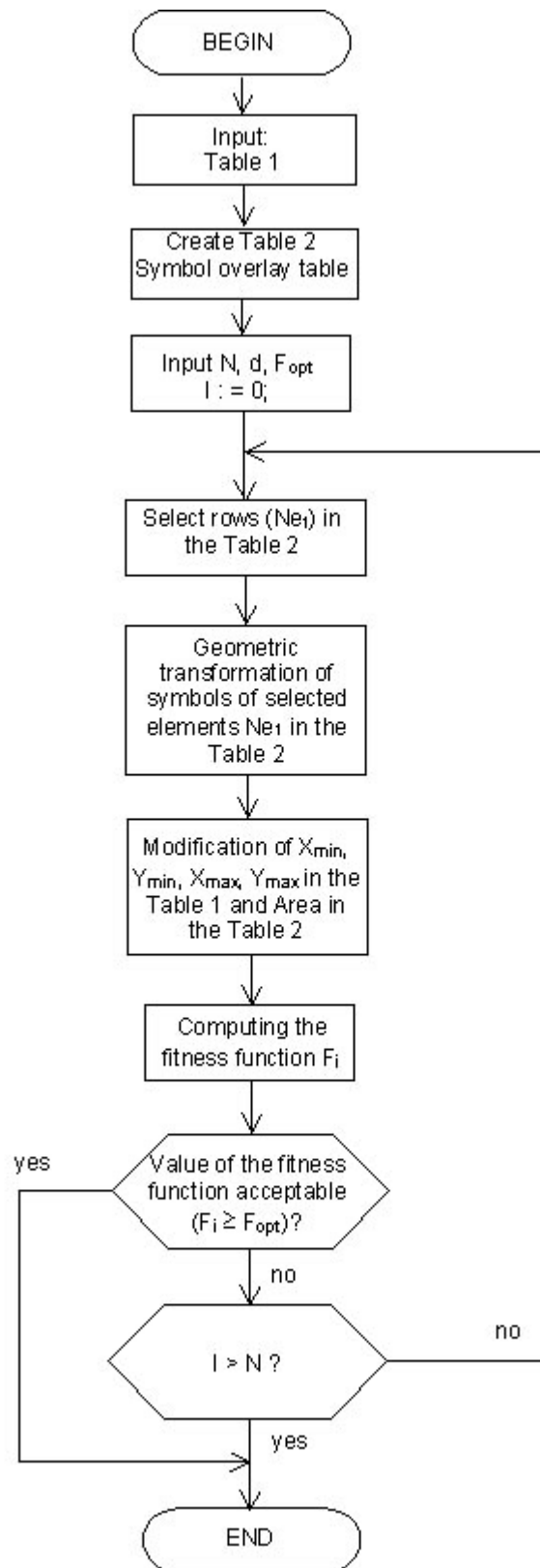


Fig. 5. The genetic algorithm for automatic symbols placement



Algorithm for the automatic placement of map symbols - see [Fig. 5](#) works on a similar principle like algorithm on [Fig. 4](#). Its input is [table 1](#). We can create the second [table 2](#) from the first [table 1](#) in this way: we gradually scan the individual elements and their limited coordinates of descriptions (X_{smin} , Y_{smin} , X_{smax} , Y_{smax}). The elements the symbols of which are mutually overlaying are written in second [table 2](#). An area and overlay code are computed according to verified algorithms of computer graphic – see [4] or [5] When the second [table 2](#) is created the purposeful function which is to be optimized is set. It is a summary of all overlay areas in the [table 2](#):

$$F_o = \sum_{i=1}^k a_i \quad (1)$$

where k is number of rows of the [table 2](#) and a_i is overlay area in i . row of the [table 2](#). Due to task formulation it is necessary for the value F_o to be as low as possible most optimally equal to zero. As the optimization with genetic algorithms is based on function computing whose optimal value equals 1 – see [2], it requires forming of the purpose function as follows:

$$F_i = \frac{1}{1 + F_o} \quad (2)$$

This function is called *fitness function* – see [2]. Other inputs of algorithm are parameters which define final conditions. These are:

- Acceptable value of fitness function – $F_{opt} \in < 0..1 >$,
- Number of iteration steps – N .

The algorithm itself works in following phases - see [Fig. 5](#):

1. The selection of [table 2](#) rows according to the criterion:

$$a_i \geq \frac{F_o}{k} \quad (3)$$

which means that only those rows overlay area of which is greater or equal to a half of purpose function value are selected. This phase correspond to the selection – in [Fig. 4](#), block 2.

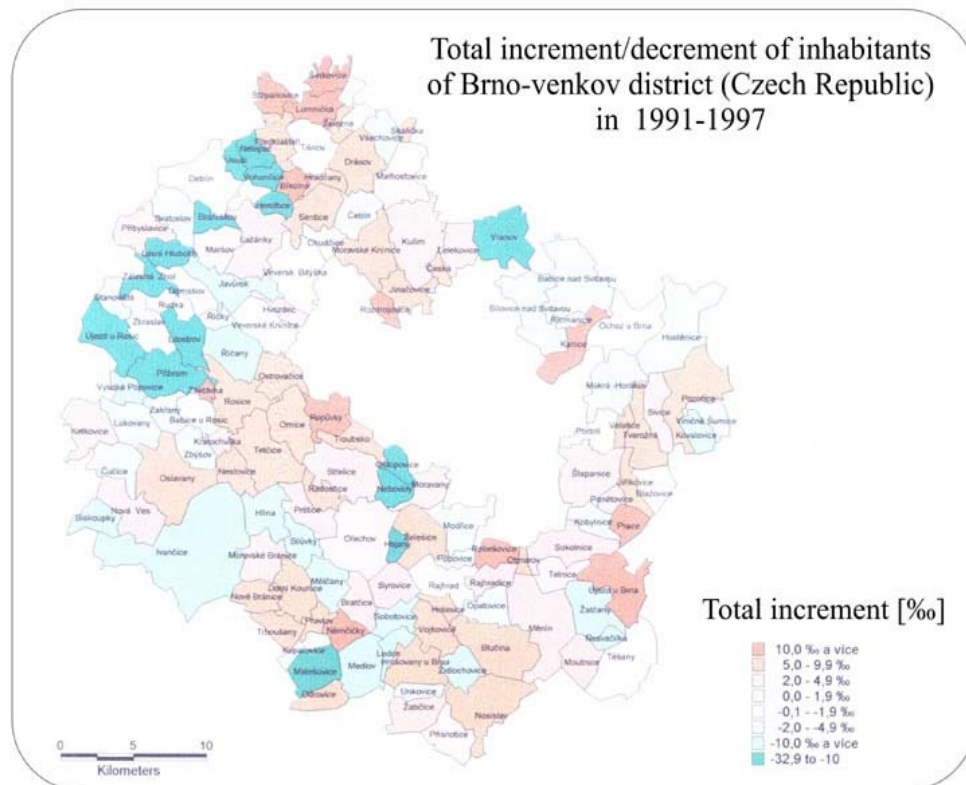
2. A geometric transformation - the movement of the limiting rectangle of the symbol of the selected elements in such a way so that the overlay area shouldn't be lowered and the element limiting rectangle of the given element shouldn't be exceeded – see [Fig. 1](#). The movement within the geometric transformation has to be done in an opposite sense than determines the overlay code in the [table 2](#), see [Fig. 2](#). The phase is analogical to crossing and mutation – in [Fig. 4](#), block 3 and 4.
3. Depending on the geometric transformation data in the [table 1](#) and [table 2](#) are modified. The phase correspond to evaluation – block 5, [Fig. 4](#).
4. The value of the fitness function is computed according to the formula (2).
5. If $F_i \geq F_{opt}$, the algorithm is completed, if this condition is not fulfilled it must be tested if the number of iteration steps reached maximum number N . If so, the computing is completed, if not it is continued by step 1 (rows selection in the [table 2](#)).

VERIFICATION OF THE METHOD

The above described method was verified by creating of the thematic map shown on [Fig. 6](#). The text on this map was placed by using of the genetic algorithm. The overlay area (see [Fig. 2](#)) was in this case a rectangle outlining the text. Number of steps in the iteration process (see [Fig. 5](#)) was $N=100$. A special utility, which makes use of

two databases, has been created by author for this purpose in Borland Delphi: 1) graphic, which contains cadastral boundaries, and 2) statistical, where the values of the socio-economic phenomenon in question are stored. The application works according to a DBF (dBase) control file. This file defines the extent of the territory with the aid of codes from a municipality code list. It further contains the values of the given socio-economic phenomenon. Based on the user's, needs (the range of legend and type of hatching or filling), the application will generate a cartogram file in the standardized DXF (Data eXchange Format) graphic format. The file can be imported into any graphic system where relevant modifications can be completed before the final output.

Fig. 6. Thematic map made by special software, where the genetic algorithm for text placement was used



CONCLUSIONS

The advantages of above described algorithm unlike other consist in selection of only such elements with the worst evaluation (the fitness function value). If all the elements were optimized (in our case position of all symbols simultaneously) it could happen that under the influence of mutual shifting the whole value of the purposeful function would become worse – see the formula (1) and the iteration process would diverge. This is the most important contribution of genetic algorithms. The described method was used in special software for thematic map creation especially for the optimal text placement – see [Fig. 6](#).

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